

# Quantum Information with Solid-State Devices

VO 141.246

SS2012

Dr. Johannes Majer

Lecture I



# Overview

- Administration
- Motivation
- Subjects covered in the Lecture
- History

# Administration

- Goal

get you to the actual research frontier

- Place & Time

Fachgruppenraum, Freihaus Monday 15:00-17:00

no class next monday 19.3.2012

next class 26.3.2012

- Website & Communication

<http://majer.ch/qiss>

tiss

[johannes.majer@tuwien.ac.at](mailto:johannes.majer@tuwien.ac.at)

- Literature & Further Reading

website

end of lecture

# Administration

- Homework Problems

Purpose: review the material covered in the lecture

enter your name in the list, if you have done it

we randomly pick somebody to explain the solution

1 point for a entry in the list, extra point for a good presentation

75% of the possible points for a mark 1 in the first part of the exam

making mistakes is not a problem

- Exam

1st part if not fulfilled with the homework problems

read and present an actual research paper

# Administration

- **Material**

- Website:

- Slides & Handnotes

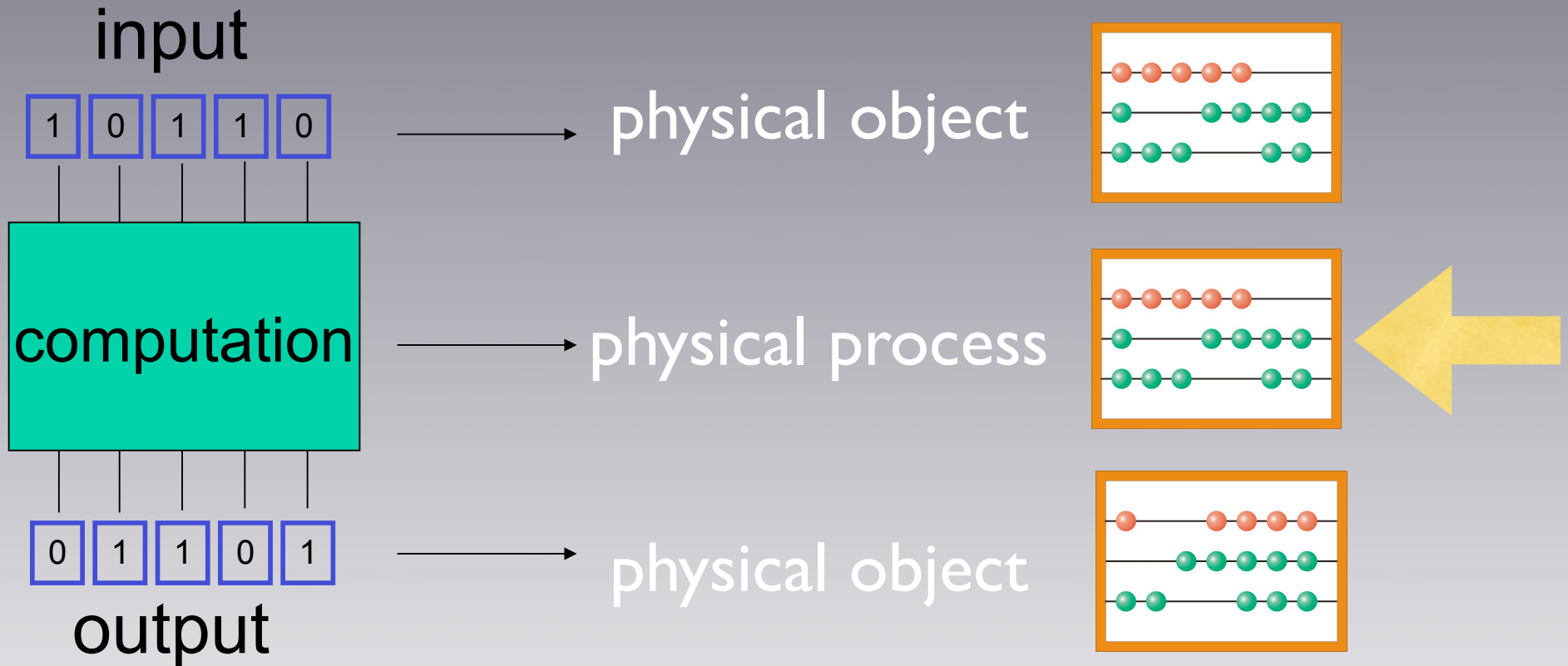
- Problem Sets & Solutions

- Extra material

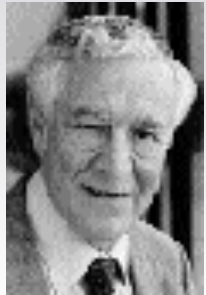


# Information & Physics

information processing  
is a physical process



information is physical  
Rolf Landauer



# Quantum Information

the fundamental laws of physics  
is quantum mechanics

therefore the fundamental laws of  
information processing is quantum  
mechanics



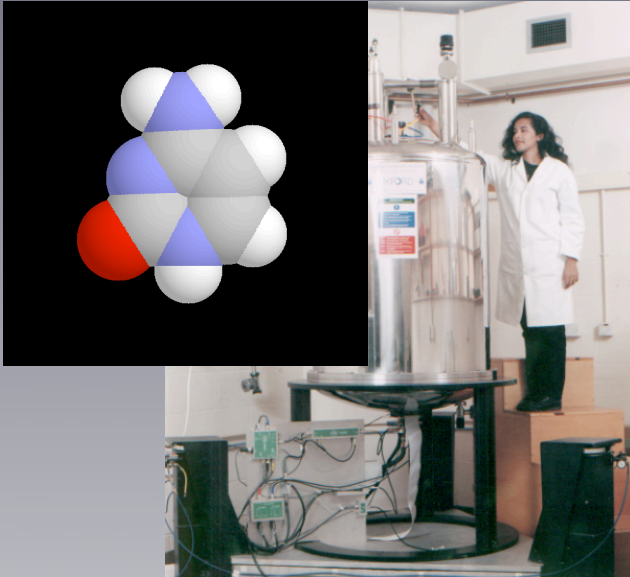
David Deutsch

➔ **Quantum Information**

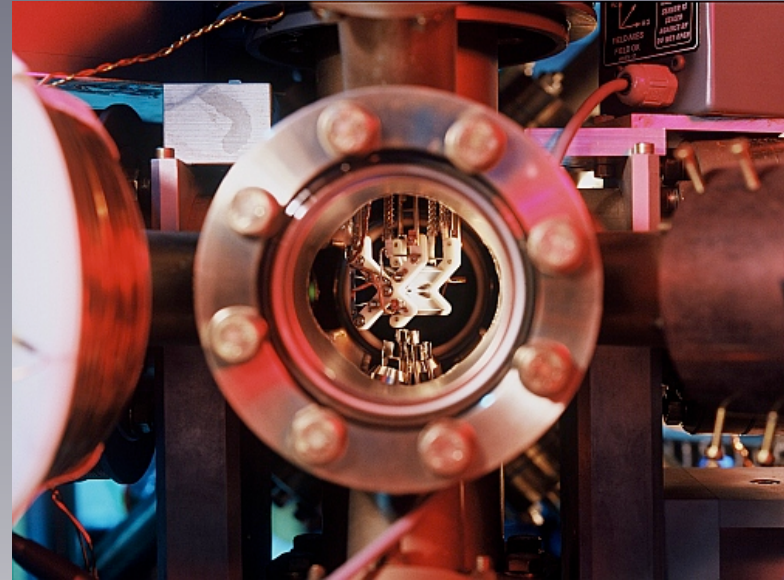
can we make use of quantum mechanics to speed  
up information processing?



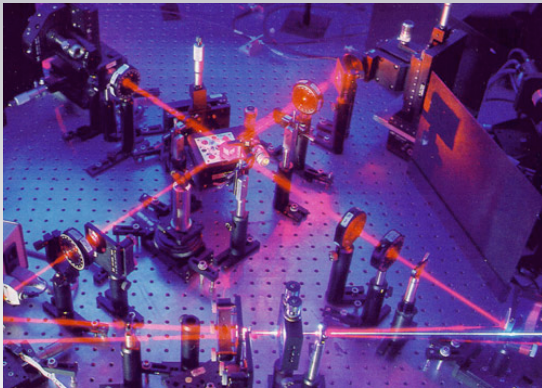
# Realization



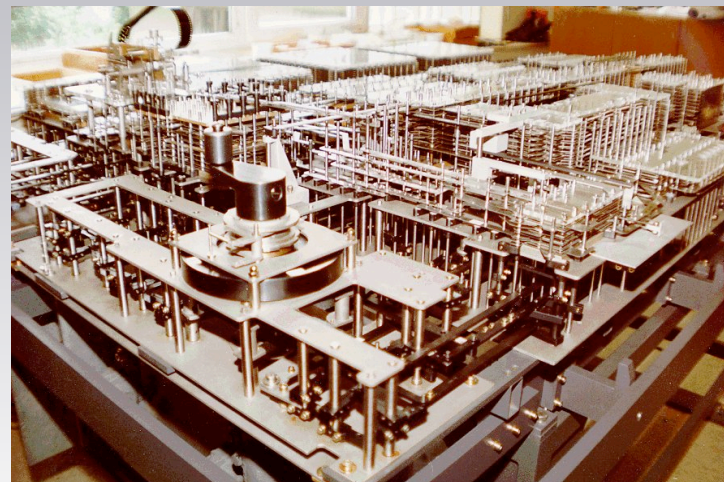
nuclear magnetic resonance  
NMR



Ion Trap

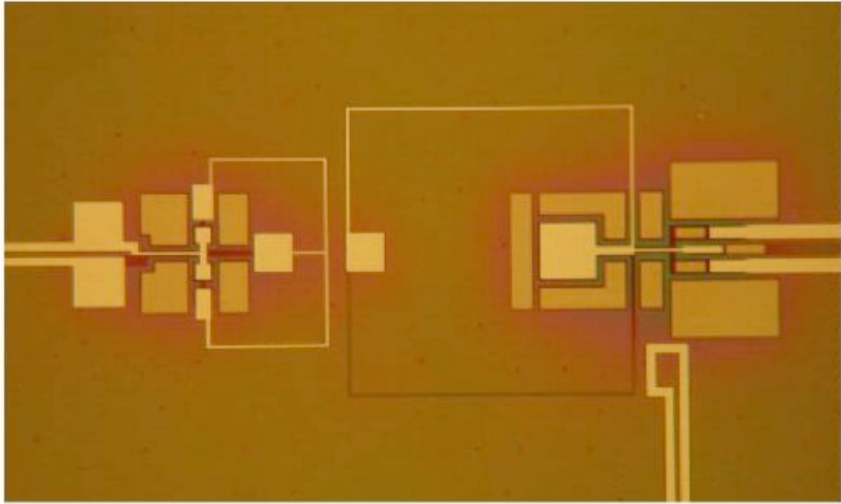


Photons



Zuse Z1, 1936

# Realization

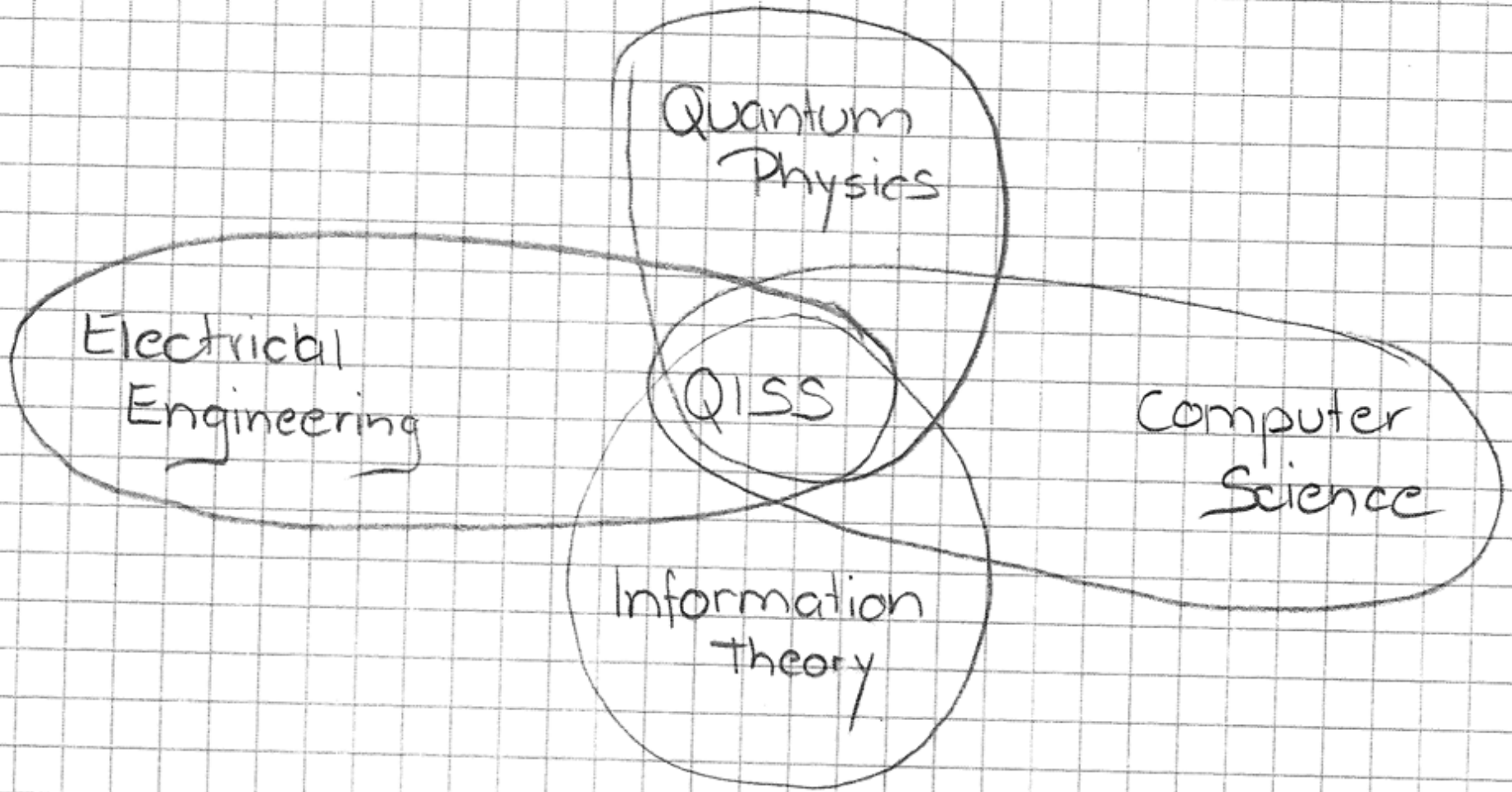


make use of nano-lithography  
quantum chip

fundamental question  
is there a fundamental limit  
for the size of a quantum  
system?

can we see quantum effects in  
a solid-state environment  
with billions of electrons/  
nuclei?

macroscopic quantum  
coherence



# Energy Scales

$$E = h\nu$$

$$E = \frac{hc}{\lambda}$$

A screenshot of a web browser window titled "Energy Scales" showing a table of energy values for microwave photons. The browser address bar shows the URL <http://www.majer.ch/physics/energyscales/index.html>. The table contains the following data:

Energy Value	Unit
3.313e-24	Joule
5	GHz
240.0	mK
20.68	μeV
59.96	mm
357.2	mT

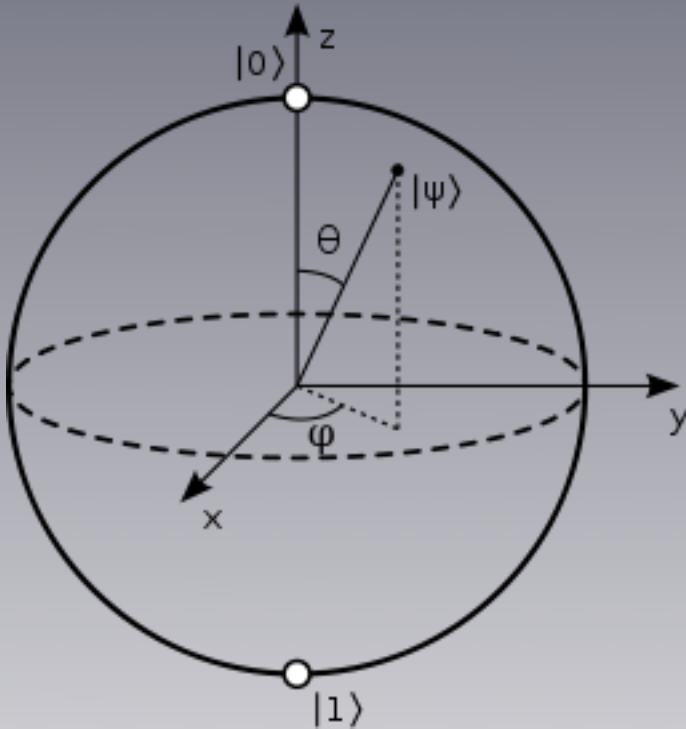
microwave photons

A screenshot of a web browser window titled "Energy Scales" showing a table of energy values for optical (red) photons. The browser address bar shows the URL <http://www.majer.ch/physics/energyscales/index.html>. The table contains the following data:

Energy Value	Unit
2.838e-19	Joule
428.3	THz
2.055e+4	K
1.771	eV
700	nm
3.060e+4	T

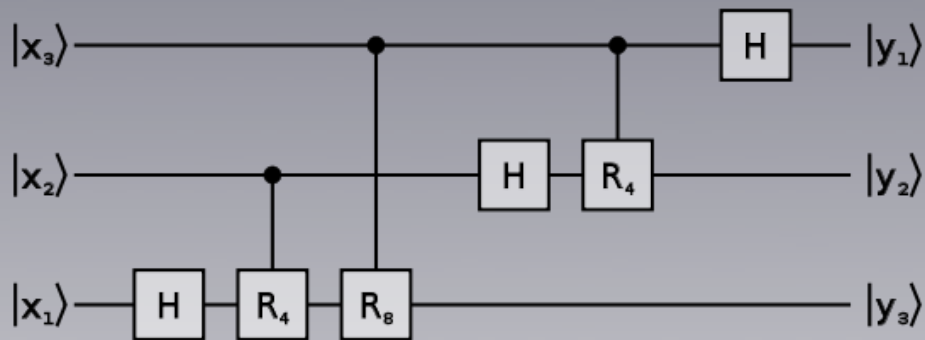
optical (red) photons

# I Basic Concepts



qubit/quantum bit  
Bloch sphere  
Rabi oscillation  
open quantum systems  
density matrix  
decoherence/dephasing  
Lindblad equation  
Ramsey oscillation  
echo techniques

# I Basic Concepts



multiple qubits

qubit coupling / qubit interaction

quantum gates

simple quantum algorithms

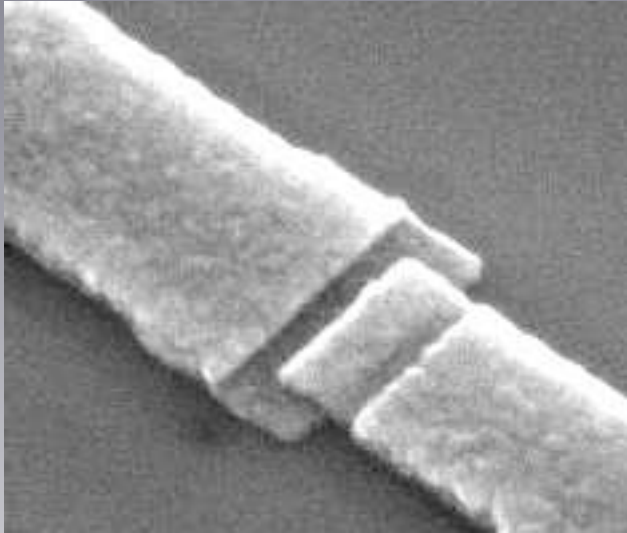
Deutsch-Josza algorithm

Grover search algorithm

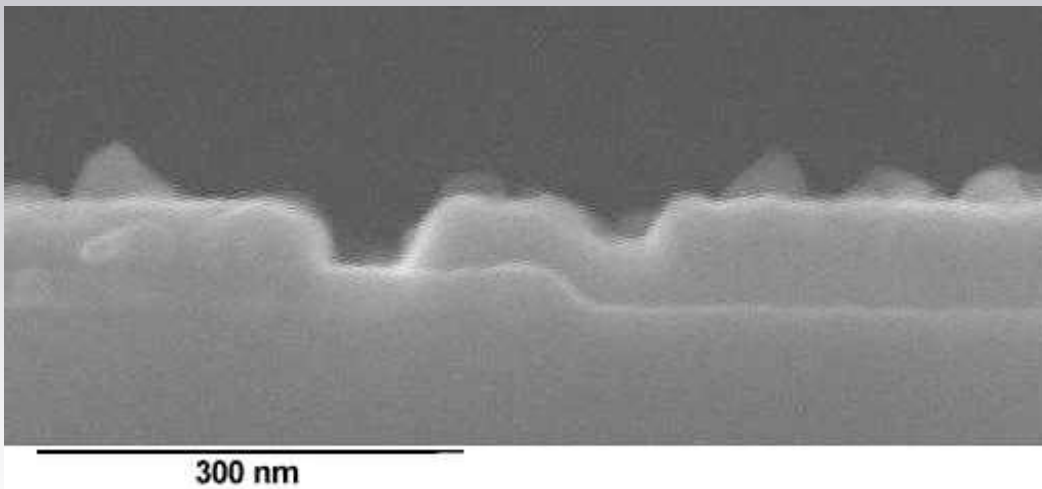
state tomography

DiVincenzo criteria

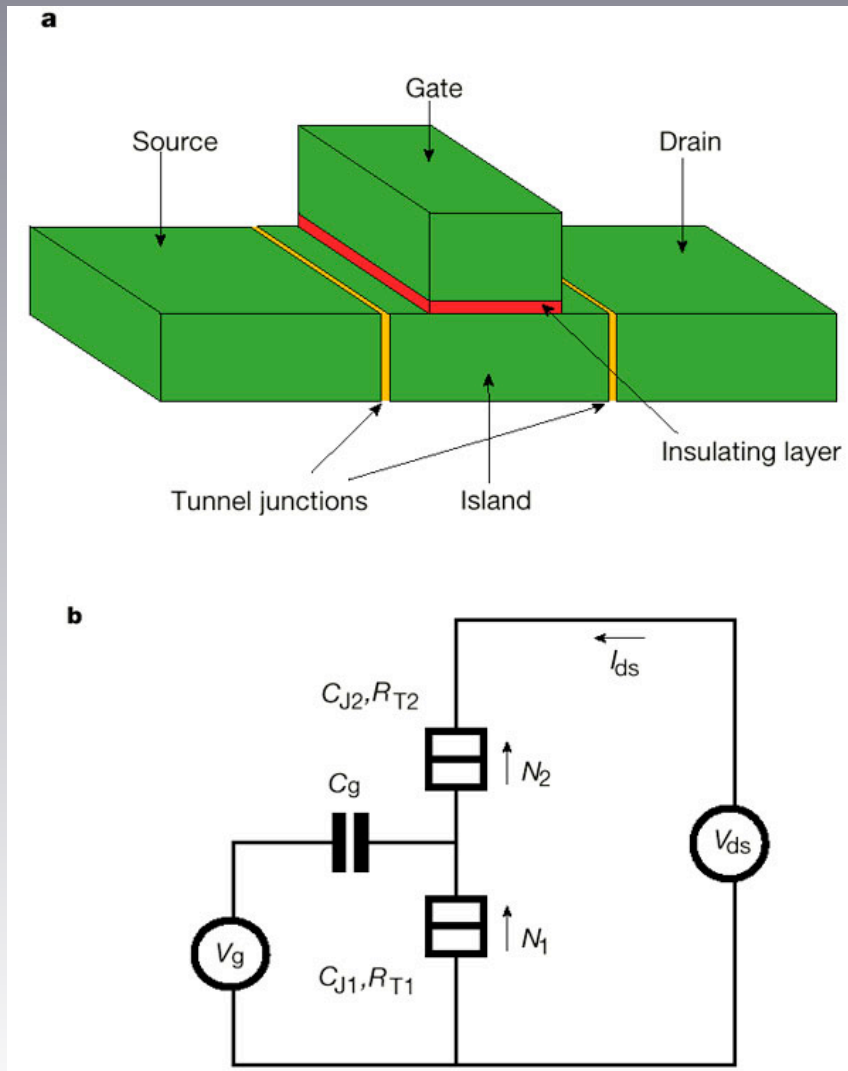
# II Superconducting Electronics



Josephson junction  
superconductors  
tunnel junctions  
Josephson equations  
SQUID



# II Superconducting Electronics



single electron transistor

charging energy

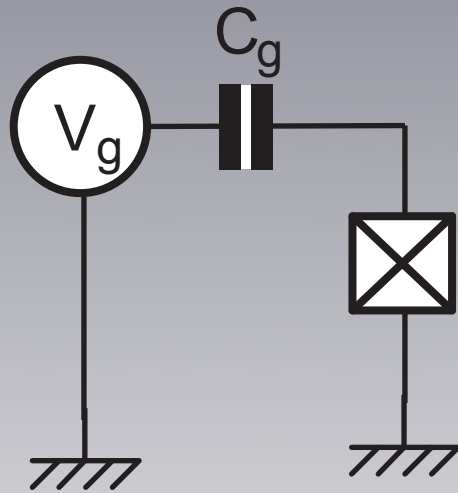
Coulomb blockade

amplifying quantum signals



# II Superconducting Electronics

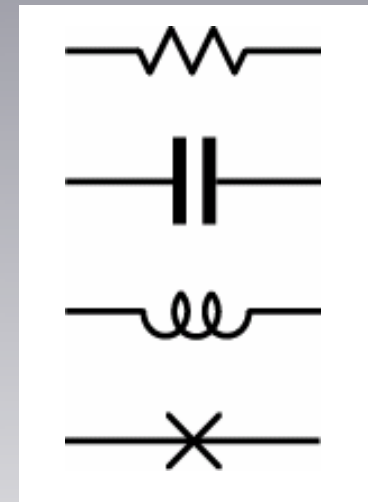
## Quantum Circuits



charge and phase are  
conjugate variables

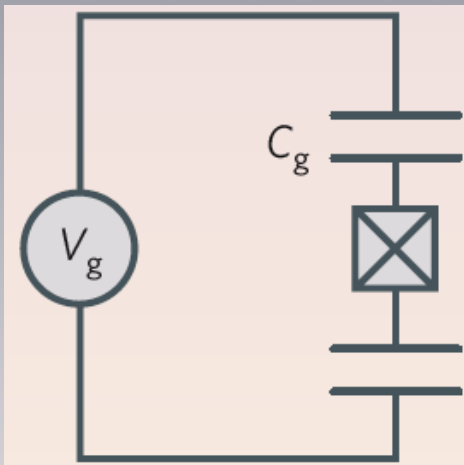
quantization of a  
circuit

## Circuit Elements

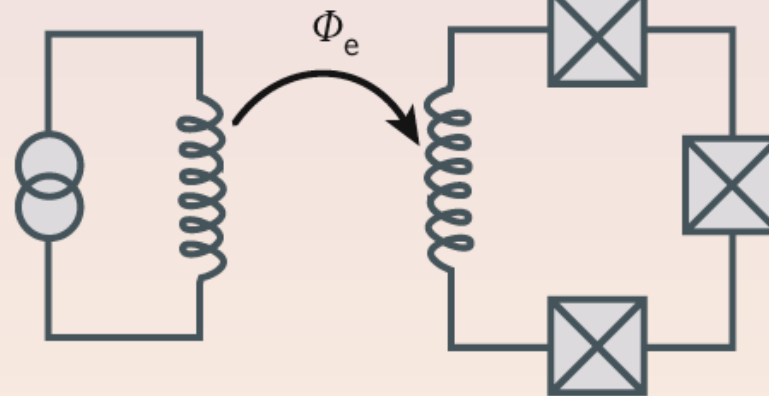


# II Superconducting Electronics

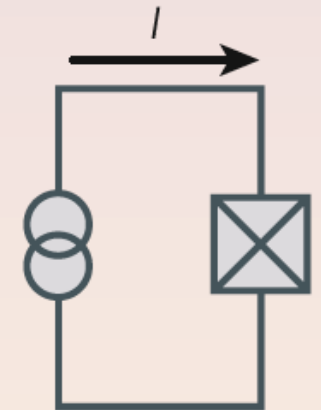
## Superconducting Qubits



Charge Qubit



Flux Qubit

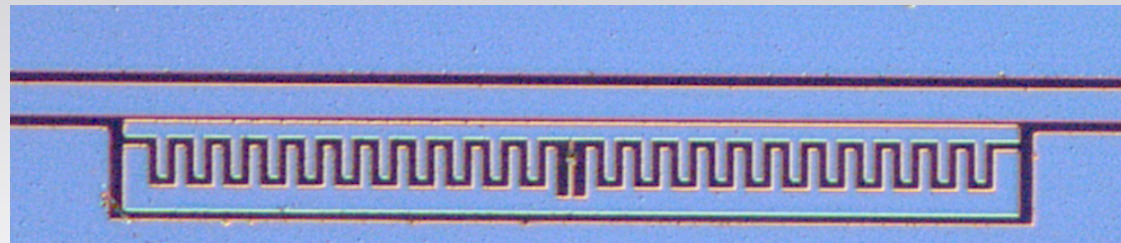
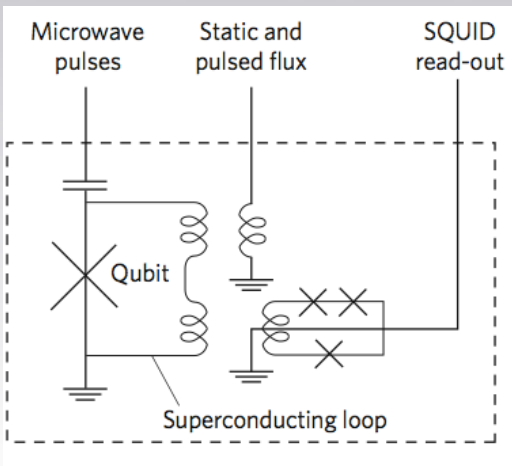
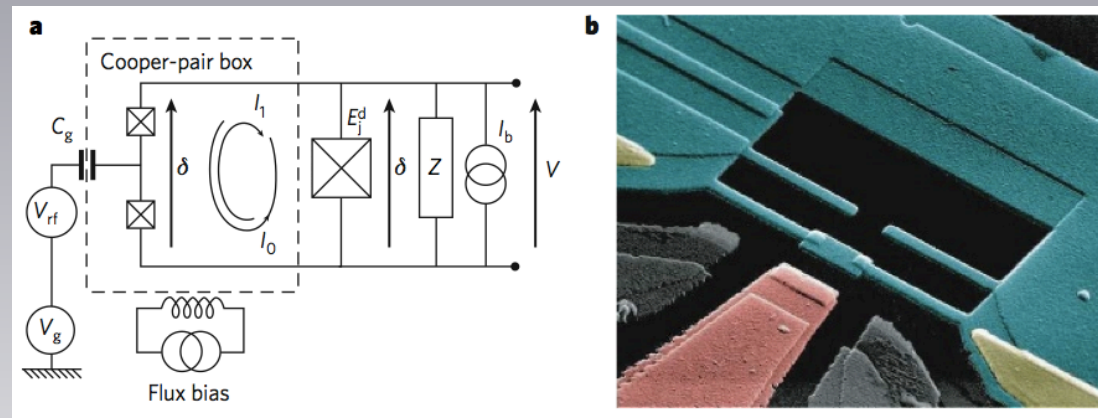


Phase Qubit

# II Superconducting Electronics

Qubit Measurement

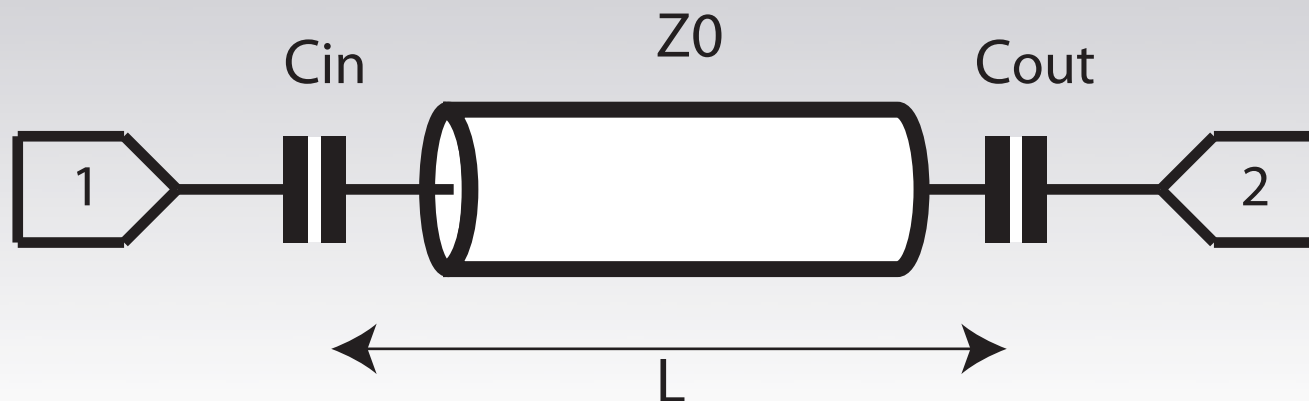
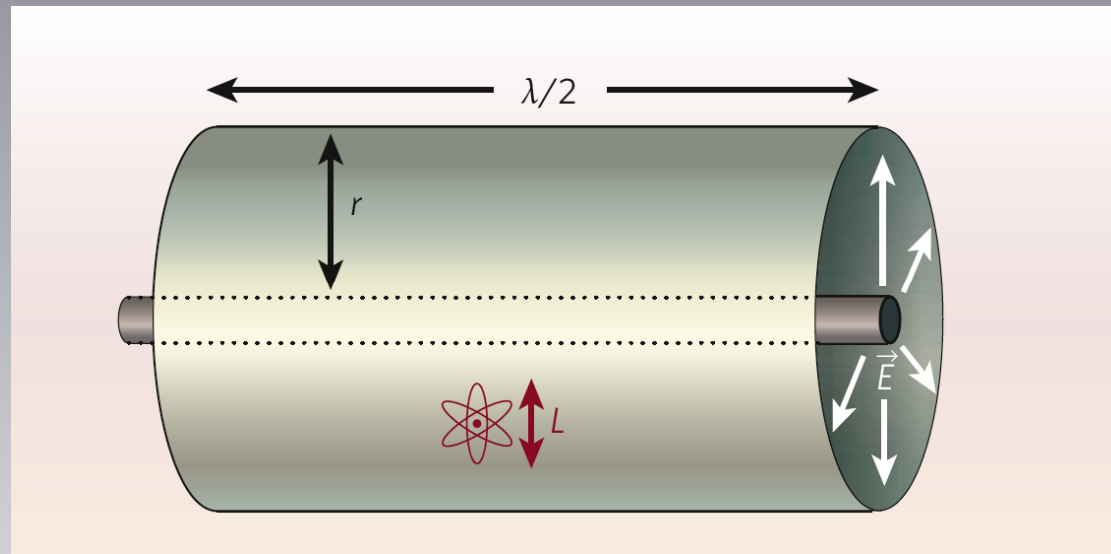
Qubit (avoiding) Decoherence



Transmon Qubit

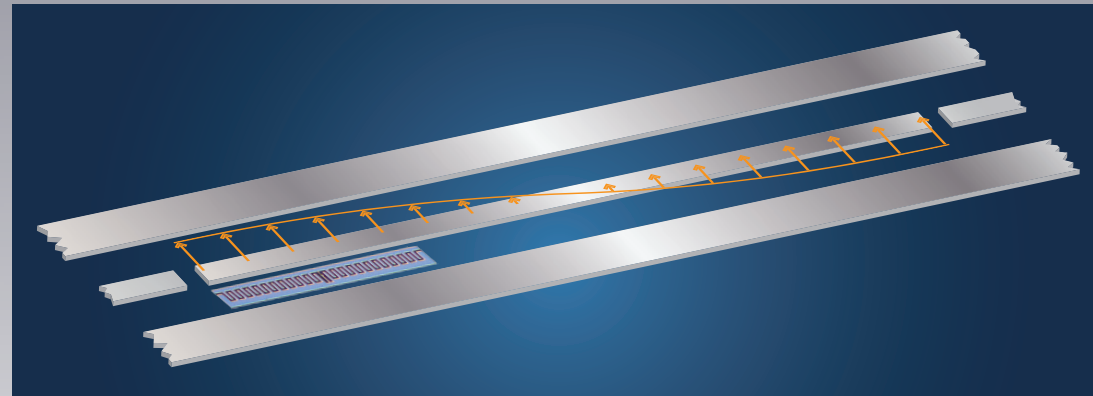
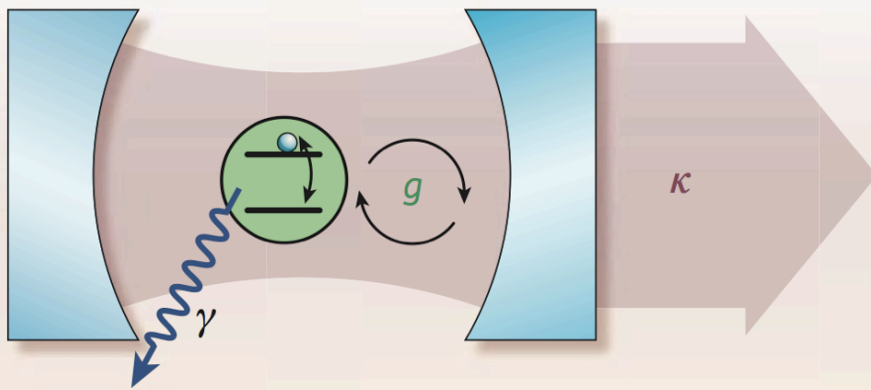
# II Superconducting Electronics

## Transmission Line Resonators



# II Superconducting Electronics

circuit cavity QED

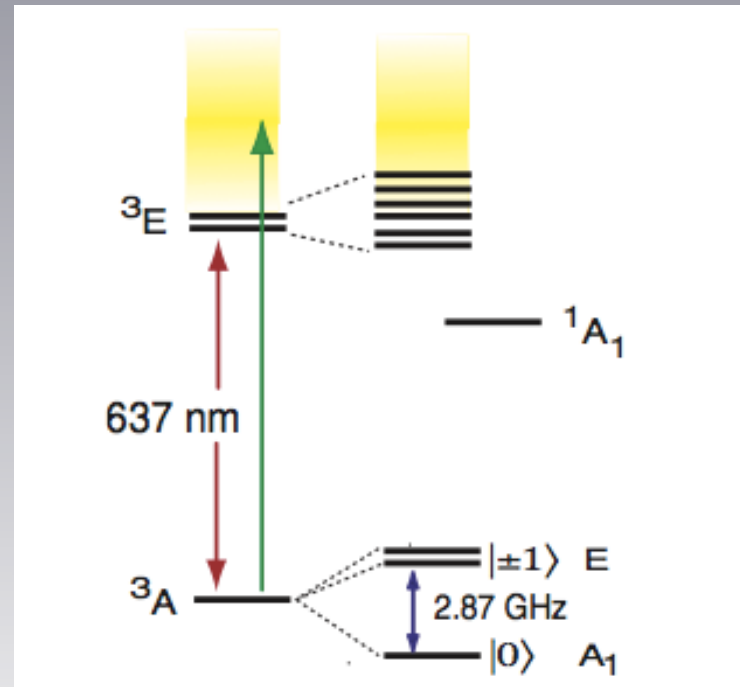
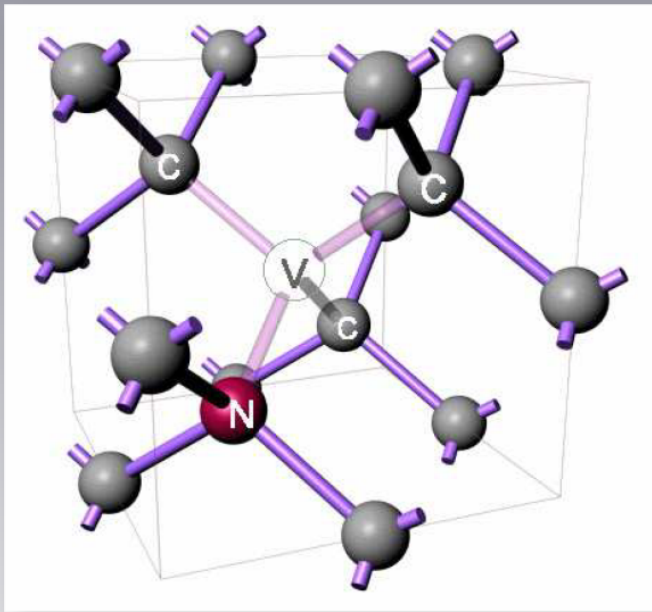


Jaynes-Cummings hamiltonian  
vacuum Rabi oscillations  
dispersive regime

# III Other Solid-State Quantum Systems

## Nitrogen Vacancy Color Center

### Nitrogen Vacancy Color Center



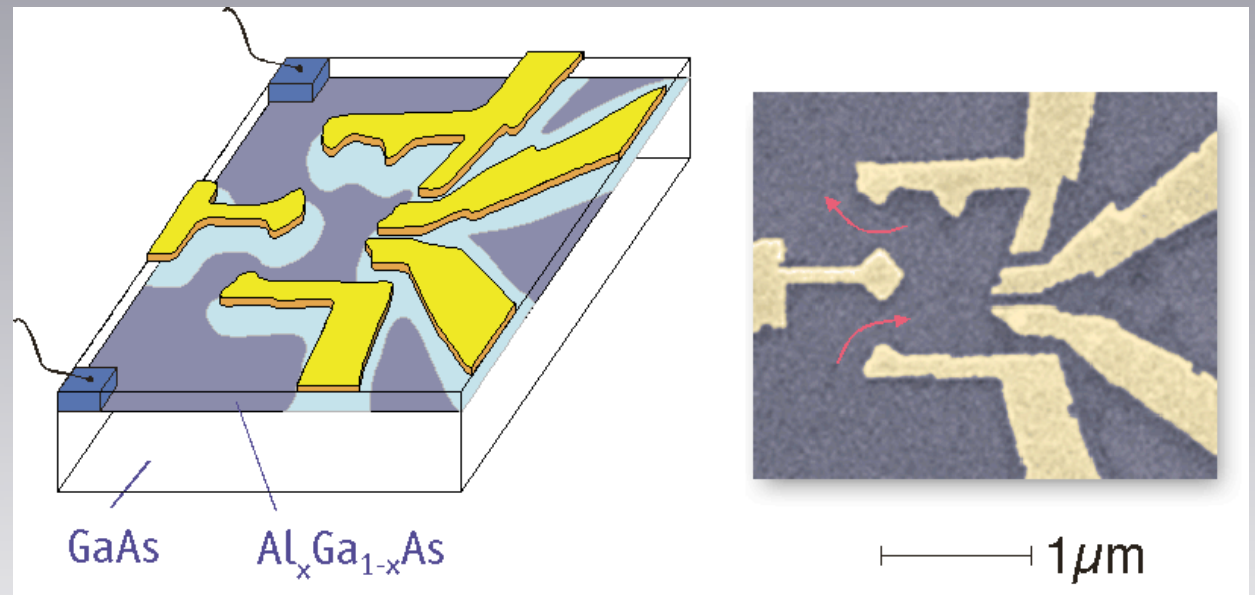
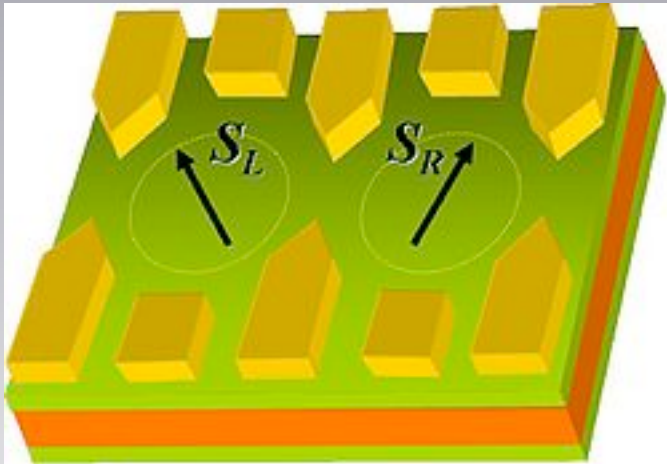
room  
temperature

optically detected magnetic resonance (ODMR)  
coupling to N nucleus /  $^{13}\text{C}$  nucleus

# III Other Solid-State Quantum Systems

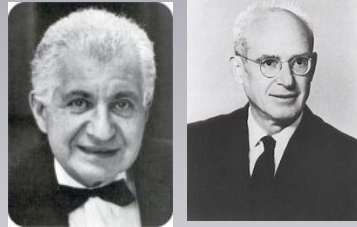
## Quantum Systems

### Semiconductor Quantum Dots



Loss-DiVincenzo proposal

# Quantum Physics



1900

1900

Planck:  $\hbar$

1913

Bohr: model of the atom

1926

Schrödinger/Heisenberg

1935

Einstein/Podolski/Rosen

1963

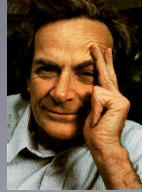
Bell: inequalities

2000



# Quantum Computing

1982 R. Feynman



Quantum Simulations

1985 D. Deutsch



Quantum Information Processing  
Deutsch algorithm

1994 P. Shor



Prime factorization

1995 P. Shor

Quantum Error Correction

1996 L. Grover



Search in unstructured database

# Problem Set

## Problem Set 1 - LV 141.246 QISS - 14.10.2011

1. **Energy Scales** As discussed in the lecture, you can convert energy into temperature, frequency and wavelength via the following relations

$$E = k_B T$$

$$E = hf$$

$$\lambda = \frac{c}{f}$$

Calculate the corresponding values for the following data

- (a) Optical light (HeNe laser, red, 632.8nm)
- (b) WLAN frequency (2.4 GHz)
- (c) Ambient temperature (300 Kelvin)
- (d) Ionization energy (He ionization energy 24.58eV)

Consider your results!

# Problem Set

**2. MATLAB - Getting Started** MATLAB is very useful tool for dealing with numerical problems, especially handling vectors and matrices. It should be installed on your student computer. You can also purchase it for €13.90 from the ZID <http://www.sss.tuwien.ac.at/sss/mla/>

- (a) Create a vector  $t$  with values  $(0, 0.1, 0.2, \dots, 10)$ . Calculate  $y = e^{t(3i-1/2)}$ . Plot the real part of  $y$  versus  $t$ .
- (b) Enter the following three matrices

$$A = \begin{pmatrix} 0 & i \\ i & 0 \end{pmatrix} \quad B = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 & 1 & 0 \\ 1 & 0 & -i \\ 0 & i & 0 \end{pmatrix} \quad C = \frac{1}{2} \begin{pmatrix} 1 & 1 & 1 & 1 \\ 1 & -1 & 1 & -1 \\ 1 & 1 & -1 & -1 \\ 1 & -1 & -1 & 1 \end{pmatrix}$$

Are these matrices hermitian (Hint: a matrix is hermitian if  $H = H^\dagger$ . Therefore calculate  $H - H^\dagger$ ), are they unitary? Calculate trace and eigenvalues of these matrices.

search internet for: MATLAB tutorial